



# Dare to dive into



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# NCTM Standards – Data Analysis

- **Formulate questions that can be addressed with data and collect, organize, and display relevant data to answer them**

*Grades 6–8 Expectations for students:*

- formulate questions, design studies, and collect data about a characteristic shared by two populations or different characteristics within one population;
- select, create, and use appropriate graphical representations of data, including histograms, box plots, and scatterplots.

- **Select and use appropriate statistical methods to analyze data**

*Grades 6–8 Expectations for students:*

- find, use, and interpret measures of center and spread, including mean and interquartile range;
- discuss and understand the correspondence between data sets and their graphical representations, especially histograms, stem-and-leaf plots, box plots, and scatterplots.



# 6<sup>th</sup> Grade TEKS – Data Analysis

**6.12 Measurement and data. The student applies mathematical process standards to use numerical or graphical representations to analyze problems.** The student is expected to:

- (A) represent numeric data graphically, including dot plots, stem-and-leaf plots, histograms, and box plots;
- (B) use the graphical representation of numeric data to describe the center, spread, and shape of the data distribution;
- (C) summarize numeric data with numerical summaries, including the mean and median (measures of center) and the range and interquartile range (IQR) (measures of spread), and use these summaries to describe the center, spread, and shape of the data distribution; and
- (D) summarize categorical data with numerical and graphical summaries, including the mode, the percent of values in each category (relative frequency table), and the percent bar graph, and use these summaries to describe the data distribution.

**6.13 Measurement and data. The student applies mathematical process standards to use numerical or graphical representations to solve problems.** The student is expected to:

- (A) interpret numeric data summarized in dot plots, stem-and-leaf plots, histograms, and box plots; and
- (B) distinguish between situations that yield data with and without variability.



# 7<sup>th</sup> Grade TEKS – Data Analysis

**7.12 Measurement and data. The student applies mathematical process standards to use statistical representations to analyze data.** The student is expected to:

- (A) compare two groups of numeric data using comparative dot plots or box plots by comparing their shapes, centers, and spreads;
- (B) use data from a random sample to make inferences about a population; and
- (C) compare two populations based on data in random samples from these populations, including informal comparative inferences about differences between the two populations.



# 8<sup>th</sup> Grade TEKS – Data Analysis

**8.11 Measurement and data. The student applies mathematical process standards to use statistical procedures to describe data.** The student is expected to:

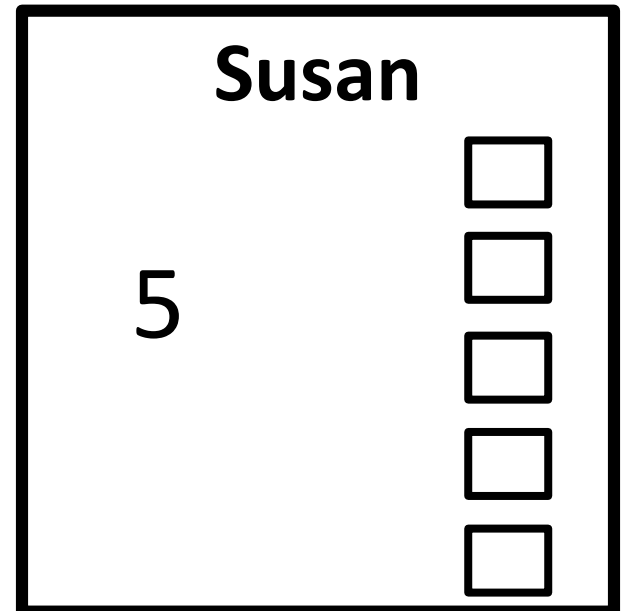
- (A) construct a scatterplot and describe the observed data to address questions of association such as linear, non-linear, and no association between bivariate data;
- (B) determine the mean absolute deviation and use this quantity as a measure of the average distance data are from the mean using a data set of no more than 10 data points; and
- (C) simulate generating random samples of the same size from a population with known characteristics to develop the notion of a random sample being representative of the population from which it was selected.



# How many letters are in your first name?

- Write your name at the top of a post-it note.
- Write the number of letters in your first name.
- Draw a box for each letter of your first name.

Example: *Susan* 



Susan

5





# Measures of Center and Measures of Spread

Range (R-e)

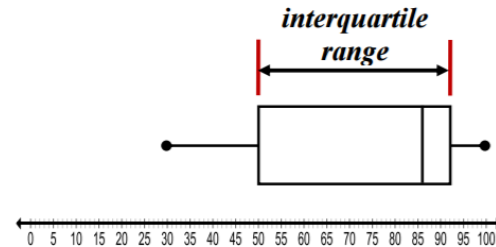
Regional Center II, August 2006

median

Regional Center II, August 2006

interquartile  
range

<http://www.ncesd.org>



m:ode

Regional Center II, August 2006

$\sqrt{m + e + a + n}$

Regional Center II, August 2006



# Measures of Central Tendency

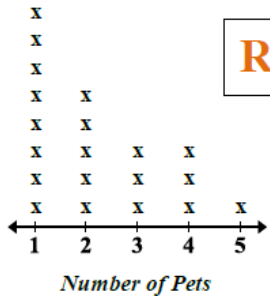


<https://www.youtube.com/watch?v=oNdVynH6hcY>





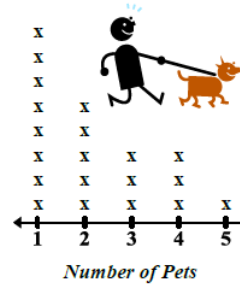
# Foldable on Measures of Spread and Center



Range = 4



A measure of how much a collection of data is spread out. Commonly used types include range and quartiles. (Also known as spread or dispersion.)



Examples:

Mode = 1

Median = 2

Mean = 2.3

An average; a single value that is used to represent a collection of data. Three commonly used types of averages are mode, median, and mean. (Also called measures of central tendency or measures of average.)

Measures of Spread		Measures of Center		
Interquartile Range (IQR)	Range	Mode	Median	Mean



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Think: \_\_\_\_\_

To find the **mean**:

1. \_\_\_\_\_ all values.
2. \_\_\_\_\_ by the number of values.

Think: \_\_\_\_\_

To find the **median**:

1. Put the data set in \_\_\_\_\_ from least to greatest.
2. Mark off highest and lowest value, starting from the edges until you reach the \_\_\_\_\_.
3. If there are two middle values, add them together and \_\_\_\_\_ by two.

Think: \_\_\_\_\_

To find the **mode**:

1. Put data set in \_\_\_\_\_ from least to greatest.
2. Find the number that appears the \_\_\_\_\_.
3. There may be \_\_\_\_\_ mode, \_\_\_\_\_ one mode, or there may be \_\_\_\_\_ mode.

Think: \_\_\_\_\_



To find the **range**:

1. Put the data set in \_\_\_\_\_ from least to greatest.
2. \_\_\_\_\_ the lowest value from the highest value.

Think: \_\_\_\_\_

To find the **Interquartile Range (IQR)**:

1. Put data set in \_\_\_\_\_ from least to greatest.
2. Find the medians of the \_\_\_\_\_ half (Q1) and the \_\_\_\_\_ half (Q3) of the data.
3. \_\_\_\_\_ quartile one (Q1) from quartile three (Q3).

- Cut these apart. 
- Glue next to the appropriate term. 

6, 8, 11, 13, 20, 23 $23 - 6 = 17$	Describes the middle value of a data set
Describes the spread of the middle half of the data set	8, 11, 12, 18, 18, 20 $18$
17, 20, 14, 18, 16 $17+20+14+18+16 = 85$ $85 \div 5 = 17$	Describes the general spread of the data
Describes the most frequent value of a data set	<u>2,4,5,7,8,9,10,12,15,16,18</u> Lower Quartile (Q1) = 5 Median = 9 Upper Quartile (Q3) = 15 $15 - 5 = 10$ Q3 - Q1
7, 11, 13, 14, 16, 17, 50 7, 11, 13, 14, 16, 17, 50 or 3, 4, 8, 9 $(4+8) \div 2 = 6$	Describes the average value of a data set



# Measures of Center

Think: Average

To find the mean:

1. Add all values.
2. Divide by the number of values.

Describes the average value of a data set

17, 20, 14, 18, 16

$$17+20+14+18+16 = 85$$

$$85 \div 5 = \boxed{17}$$

Think: Middle

To find the median:

1. Put the data set in order from least to greatest.
2. Mark off the greatest and least values, starting from the edges until you reach the middle.
3. If there are two middle values, add them together and divide by two.

Describes the middle value of a data set

7, 11, 13, 14, 16, 17, 50  
7, 11, 13, 14, 16, 17, 50

or

$$3, 4, 8, 9$$

$$(4+8) \div 2 = \boxed{6}$$

Think: Most frequent

To find the mode:

Put data set in order from least to greatest.

Find the number that appears the most.

There may be one mode, more than one mode, or there may be no mode.

Describes the most frequent value of a data set

8, 11, 12, 18, 18, 20

18



# Measures of Spread

Think: Spread of data

To find the range:

1. Put the data set in order from least to greatest.
2. Subtract the least value from the greatest value.

Describes the  
general spread  
of the data

6, 8, 11, 13, 20, 23

$$23 - 6 = \boxed{17}$$

Think: Spread of the middle half

To find the Interquartile Range (IQR):

1. Put data set in order from least to greatest.
2. Find the medians of the lower half (Q1) and the upper half (Q3) of the data.
3. Subtract quartile one (Q1) from quartile three (Q3).

Describes the  
spread of the  
middle half of  
the data set

2,4,5,7,8,9,10,12,15,16,18

Lower Quartile (Q1) = 5

Median = 9

Upper Quartile (Q3) = 15

$$15 - 5 = \boxed{10}$$

Q3 - Q1

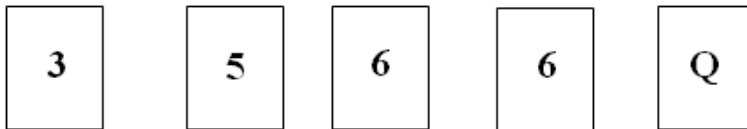


# What a Deal!

Value of cards:

A=1 2=2 3=3 4=4 5=5 6=6 7=7 8=8 9=9 10=10 J=11 Q=12 K=13

Example:



$$\begin{aligned} \text{Range} &= Q - 3 \\ &= 12 - 3 = 9 \end{aligned}$$

$$\begin{aligned} \text{Median} &= 6 \\ &3 \ 5 \ \underline{6} \ 6 \ 12 \end{aligned}$$

$$\text{Mode} = 6$$

$$\begin{aligned} \text{Mean} &= \\ &3 + 5 + 6 + 6 + 12 = 32/5 = 6.4 \end{aligned}$$





# What a Deal!

Value of cards:

A = 1   2 = 2   3 = 3   4 = 4   5 = 5   6 = 6   7 = 7   8 = 8   9 = 9   10 = 10   J = 11   Q = 12   K = 13

## Score Sheet for What a Deal!

	Player 1	Player 2	Player 3	Player 4
Names of players	Haley	Susan	Juan	Linda
Round 1	Range 8	Range 9	Range 11	Range 6
	Mode 6	Mode 2	Mode 6	Mode 1
	Median 7	Median 3	Median 4	Median 8
	Mean 5	Mean 4	Mean 8	Mean 7

circle highest value in row  
tie





# Estimating Heights of Celebrities

<b>Famous Celebrity</b>	<b>Estimated Height in inches</b>	<b>Actual Height in inches</b>	<b>Write these numbers as an ordered pair</b>
Beyoncé Knowles			
Jay Z			
Jennifer Lopez			
J. J. Watt			
Lady Gaga			
Michael Jordan			
Oprah Winfrey			
Selena Gomez			
Shaquille O'Neal			
Taylor Swift			



# **Beyoncé Knowles**



5 ft. 7 in. or 67 inches



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**Jay Z**

6 ft. 2 in. or 74 inches



# Jennifer Lopez



5 ft. 5 in. or 65 inches





## J. J. Watt



6 ft. 5 in. or 77 inches



**Lady  
Gaga**

5 ft. 1 in. or 61 inches





# Michael Jordan



6 ft. 6 in. or 78 inches



**Oprah  
Winfrey**

5 ft. 7 in. or 67 inches



**Selena  
Gomez**

5 ft. 5 in. or 65 inches



# Shaquille O'Neal



7 ft. 1 in. or 85 inches





# Taylor Swift



5 ft. 10 in. or 70 inches



# Scatterplots

- Use the data from the completed table to create a scatter plot. Use the estimated height as the label for the horizontal axis and the actual height as the label for the vertical axis.
- For which celebrity was your estimate closest to the actual height?
- For which celebrity did you have the greatest difference between your estimate and the actual height?
- How well were you able to estimate the heights of the celebrities listed?
- Does there seem to be a relationship between your estimates of the celebrities' heights and their actual heights?





# Investigating Data of MLB Pitchers

Each table will be given a roster for the pitchers of a Major League Baseball team.

- What information is listed on the roster?
- What types of graphical representations can be created with the data?





# Attributes of MLB Pitchers

At each table, have different groups select a different attribute to investigate.

- Age
- Weight
- Height





# Graphical Representations

Each group will create a **dot plot** and a **box plot**, for the numeric data of their selected attribute:

- Age
- Weight
- Height (as fractions – 6'6" would be recorded as  $6 \frac{1}{2}$  feet)







# Word Problems

Create one- and two-step problems using data from the graphical representations.





# Gallery Walk

- Each group will post their graphical representations and word problems.
- Groups will compare and contrast the different types of graphical representations for each of the different teams.





# RICE UNIVERSITY SCHOOL MATHEMATICS PROJECT



Wiess School of Natural Sciences

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1 2 3 4 5 6 7 **8**

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### WELCOME

The mission of the Rice University School Mathematics Project (RUSMP) is to create a better understanding of the nature, beauty, and importance of mathematics and to promote effective teaching of mathematics. RUSMP's mission has expanded to include supporting science, technology, engineering, and the arts as they relate to mathematics.

Since its inception in 1987, RUSMP has been providing a bridge between the Rice University mathematics research community and the K-12 STEM teaching community across the state and beyond.

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$(\text{THANK YOU})^n$

$n \in \mathbb{N}, n > 1$

$\text{YOU} \in \{\textit{Awesome People Set}\}$

ROMANCEMATH-BLOGSPOT.COM

Handouts available electronically at  
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